| Name |
|------|
|------|

MULTIPLE CHOICE. Choose the one alternative that best completes the statement or answers the question.

Find the probability.

| , | all voters are Democrats. hey are both Democrats. | | y selected for a survey, find | 1) |
|----------|--|----------|-------------------------------|----|
| A) 0.580 | B) 0.290 | C) 0.084 | D) 0.081 | |

Solve the problem.

| 2) An ice cream store has 5 flavors. If we pick flavors successively at random, what is the probability | 2) | |
|--|----|--|
| that the flavor strawberry will be selected for the first time on pick 9? [the same flavor can be picked more than once] | - | |
| | | |

| A) 0.167772 | B) 0.033554 |
|-------------|----------------------------------|
| C) 0.000002 | D) None of the above is correct. |

Find the probability of the following card hands from a 52-card deck. In poker, aces are either high or low. A bridge hand is made up of 13 cards.

| 3) In bridge, 4 aces | | | | 3) |
|----------------------|------------|------------|------------|----|
| A) 0.00264 | B) 0.00059 | C) 0.00118 | D) 0.01056 | |

Solve the problem.

- 4) In the past, Michael had the following success shooting free throws after being fouled. 30% of the time time he got 0 points, 30%, of the time 1 point, and 40% of the time 2 points. How could the digits 0-9 be distributed among these three possibilities to simulate the probabilities of shooting 0, 1, and 2 points?
 - A) 0 3 = 0 points, 4 6 = 1 point, and 7 9 = 2 points
 B) 0 2 = 0 points, 3 6 = 1 point, and 7 9 = 2 points
 C) 0 2 = 0 points, 3 5 = 1 point, and 6 9 = 2 points
 - D) Not possible to create a simulation with the digits 0 9.

Find the probability of the following card hands from a 52-card deck. In poker, aces are either high or low. A bridge hand is made up of 13 cards.

| 5) In bridge, all cards in one suit | | 5) |
|-------------------------------------|--------------------|----|
| A) 0.0000000000314 | B) 0.000000000314 | |
| C) 0.000000000630 | D) 0.0000000000157 | |

Find the probability.

- 6) When two balanced dice are rolled, there are 36 possible outcomes. What is the probability that the 6) ______
 sum of the numbers on the dice is 6 or 10?
 - A) $\frac{1}{60}$ B) $\frac{4}{3}$ C) $\frac{2}{9}$ D) $\frac{4}{9}$

Find the probability of the following card hands from a 52-card deck. In poker, aces are either high or low. A bridge hand is made up of 13 cards. 7) In poker, a full house (3 cards of one value, 2 of another value) 7) A) 0.0000385 B) 0.00655 C) 0.00144 D) 0.00000920 Find the probability. 8) A fair die is rolled. What is the probability of rolling a 3 or a 5? 8) B) 1/4 C) $\frac{1}{36}$ A) $\frac{1}{3}$ D) 2 Decide whether or not the events are mutually exclusive. 9) Events A and B defined as follows Event A is that at least three of Toni's five cousins are female. Event B is that at least three of Toni's five cousins are male. B) Yes A) No Use counting rules to determine the probability. 10) Determine the probability that in a class of 8 students, at least two students have the same birthday. 10) Assume that there are always 365 days in a year and that birth rates are constant throughout the year. (Hint: First determine the probability that no two students have the same birthday and then apply the complementation rule.) A) 0.114 B) 0.074 C) 0.154 D) 0.926 Find the probability. 11) A class consists of 13 women and 29 men. If a student is randomly selected, what is the probability 11) that the student is a woman? C) $\frac{29}{42}$ A) $\frac{13}{29}$ B) $\frac{13}{42}$ D) $\frac{1}{42}$ Find the indicated probability. 12) In a batch of 8000 clock radios 5% are defective. A sample of 13 clock radios is randomly selected 12) without replacement from the 8,000 and tested. The entire batch will be rejected if at least one of those tested is defective. What is the probability that the entire batch will be rejected? B) 0.0500 C) 0.0769 A) 0.513 D) 0.487

Solve the problem.

13) In the past, Michael had the following success shooting free throws after being fouled. 30% of the time he got 0 points, 30% of the time he got 1 point, and 40% of the time 2 points. Use the following set of random digits to simulate 100 free throws. Begin at the top of the first column and move down that column{1, 1, 8, etc.}, then start at the top of the second column and move down {8, 5, 9, etc.}. Use the following: 0 - 2 = 0 points, 3 - 5 = 1 point and 6 - 9 = 2 points. Estimate the probability that on a given occasion, Michael will score 2 points after being fouled.

13)

| A) $\frac{3}{10}$ | 7 00 | | B) 9 25 | C) $\frac{7}{20}$ | D) <u>39</u> 100 |
|-------------------|---------|-------|-----------------------|-------------------|---------------------|
| 64336 | 95103 | 90740 | 03577 | | |
| 38894 | 58070 | 77371 | 10194 | | |
| 89555 | 75520 | 08882 | 95295 | | |
| 15592 | 71357 | 28152 | 11732 | | |
| 18728 | 94741 | 32063 | 04963 | | |
| | | | | | |

Find the probability.

- 14) A family has five children. The probability of having a girl is 1/2. What is the probability of having 14)
 3 girls followed by 2 boys?
 - A) $\frac{1}{120}$ B) $\frac{1}{16}$ C) $\frac{1}{32}$ D) $\frac{5}{16}$

Solve the problem.

| 15) If 3 boys and 2 girls are | arranged at random in | n a row, what is the probability | y that two boys will not | 15) |
|-------------------------------|-----------------------|----------------------------------|--------------------------|-----|
| be in adjacent seats? | | | | |
| | | | - | |

| A) $\frac{12}{5!}$ | B) $\frac{2}{5}$ | C) $\frac{2!}{5!}$ | D) <u>3</u> 5! |
|--------------------|------------------|--------------------|-------------------|
| | | | |

16) Mendel found no dominance in snapdragons with respect to red and white flower color. When 16 pure red (RR) and pure white (rr) parents are crossed, the resulting Rr combination (one of each gene) produces second generation offspring with pink flowers. Suppose one of these second generation pinks is crossed with a pure red. What is the probability that the resulting snapdragon will have white flowers?

| | A) 0 | B) 0.5 | C) 0.75 | D) 0.25 |
|--|------|--------|---------|---------|
|--|------|--------|---------|---------|

17) An insurance company will insure a \$220,000 home for its total value for an annual premium of \$510. If the company spends \$30 per year to service such a policy, the probability of total loss for such a home in a given year is 0.001 and you assume either total loss or no loss will occur, what is the company's expected annual gain (or profit) on each such policy?

| A) -\$220 | B) \$260 | C) \$290 | D) \$210 |
|-----------|----------|----------|----------|
|-----------|----------|----------|----------|

Find the indicated probability.

18) The age distribution of students at a community college is given below.

| Age (years) | Number of students (f) |
|-------------|------------------------|
| Under 21 | 417 |
| 21-25 | 414 |
| 26-30 | 212 |
| 31-35 | 50 |
| Over 35 | 20 |
| | 1113 |

A student from the community college is selected at random. Find the probability that the student is at least 31. Round approximations to three decimal places.

| | A) 0.045 | B) 0.063 | C) 70 | D) 0.937 |
|--|----------|----------|-------|----------|
|--|----------|----------|-------|----------|

19) The table below shows the soft drink preferences of people in three age groups.

| | | root beer | lemon-lime |
|--|----|-----------|------------|
| under 21 years of age | 40 | 25 | 20 |
| under 21 years of age between 21 and 40 | 35 | 20 | 30 |
| over 40 years of age | 20 | 30 | 35 |

If one of the 255 subjects is randomly selected, find the probability that the person is over 40 and drinks cola.

| A) $\frac{4}{17}$ | B) <u>4</u> <u>19</u> |
|-------------------|----------------------------------|
| C) $\frac{4}{51}$ | D) None of the above is correct. |

Determine whether the events are independent.

| 20) A balanced die is rolled tw | vice. Are the events "six on first roll" and "six on the second roll" | 20) |
|---------------------------------|---|-----|
| independent ? | | |
| A) No | B) Yes | |

Find the expected value of the random variable.

| X (Complaints per I | Day) 0 | 1 | 2 | 3 | 4 | 5 | | |
|---------------------|-----------|--------|--------|-------|-------|------|------|---------|
| Probability(X | = x) 0.04 | D.11 C | 0.26 0 | .33 0 | .19 0 |).12 | | |
| A) 2.73 | B) | 2.85 | | | | C) (| 3.01 | D) 2.98 |

18) _____

19) _____

| | | the number of houses sold ability distribution is give | | onth at the Sendsom's | 22) |
|-------------|--|--|------------------------------|-----------------------|-----|
| | A) 3.40 | B) 3.60 | C) 3.50 | D) 3.35 | |
| Solve the p | problem. | | | | |
| 23) | n a 2-card hand, what is t | he probability of holding | only face cards? (Aces are | not face cards.) | 23) |
| | A) 0.14 | B) 0.02 | C) 0.09 | D) 0.05 | |
| | from this batch, determine | contains 5 defective calcul the probability that exact | ly two of those selected ar | e defective. | 24) |
| | A) 0.0267 | B) 0.0217 | C) 0.0174 | D) 0.0347 | |
| Find the p | obability. | | | | |
| | A bag contains 13 balls nu ball has an even number? | mbered 1 through 13. Wha | at is the probability that a | randomly selected | 25) |
| | A) 6 | B) $\frac{2}{13}$ | C) $\frac{13}{6}$ | D) <u>6</u> 13 | |
| 26) | | ndependent. random from a standard c w" and "ace on the seconc | | eplacement. Are the | 26) |
| Find the p | obability. | | | | |
| 27) | f you are dealt two cards | successively (with replace ing a face card on the first B) | - | | 27) |

Solve the problem.

28) The table shows the number of college students who prefer a given pizza topping.

| toppings | freshman | sophomore | junior | senior | | |
|------------------------|----------|-------------------------|--------|-----------|--------------------------------|---------------------------------|
| cheese | 10 | 13 | 21 | 19 | | |
| meat | 20 | 19 | 13 | 10 | | |
| veggie | 13 | 10 | 20 | 19 | | |
| Find the e A) 0.337 | | obability tha B) 0.3 | | mly selec | ted student prefer C) 0.102 | rs cheese toppings. D) 0.302 |
| | | | | | | |

28)

29) The following list of digits was taken from a table of random numbers. We will let them represent 29)
50 tosses of 5 fair coins. The digits 0-4 represent an H and the digits 5-9 represent a T. Use this simulation to estimate the probability of getting two heads on a toss of five coins.

1872894741320630496354859155927135728152117321717389555755200888295295728953889458070773711019494917643369510390740035776259952052240040384511507452332751033761865636172939087480615941279969113392706727324727232240686253264092997095877709759912916866A) $\frac{1}{4}$ B) $\frac{17}{50}$ C) $\frac{16}{50}$ D) $\frac{12}{50}$

Find the indicated probability.

| 30) In a blood testing pro | cedure, blood samples fron | n 5 people are combir | ned into one mixture. The | 30) | |
|----------------------------|---------------------------------|-------------------------|--------------------------------|-----|--|
| mixture will only tes | t negative if all the individu | al samples are negativ | ve. If the probability that an | | |
| individual sample te | sts positive is 0.12, what is t | he probability that the | e mixture will test positive? | | |
| A) 0 470 | D) 0 0000040 | () 1 00 | | | |

| A) 0.472 B) 0.0000249 C) 1.00 E | 0) 0.528 |
|---------------------------------|----------|
|---------------------------------|----------|

Solve the problem.

 31) Suppose a charitable organization decides to raise money by raffling a trip worth \$500. If 3,000
 31)

 tickets are sold at \$1.00 each, find the expected net winnings for a person who buys 1 ticket.
 31)

| A) -\$1.00 | B) -\$0.81 | C) -\$0.85 | D) -\$0.83 |
|------------|------------|------------|------------|
|------------|------------|------------|------------|

Find the expected value of the random variable.

| Find the expected value of | the random variable. | | | |
|--|--|------------------------------|---------------------------------|---------------|
| distribution is giv x P(X = x) | ble X is the number that show en in the table. | vs up when a loaded die | e is rolled. Its probability | 32) |
| 1 0.14 2 0.10 | | | | |
| 3 0.11 | | | | |
| 4 0.15 | | | | |
| 5 0.14 | | | | |
| 6 0.36 | | | | |
| A) 4.00 | B) 3.50 | C) 4.13 | D) 0.17 | |
| Solve the problem. | | | | |
| 33) The results of a sc | hool election for student pres | ident are shown in the f | ollowing table. | 33) |
| | CandidateABCDEVotes for1423242712 | 2 | | |
| What is the proba | bility that a randomly polled | voter voted for Candida | ite C? | |
| A) 0.14 | B) 0.27 | C) 0.50 | D) 0.24 | |
| Find the probability of the tild is made up of 13 cards. | following card hands from a | 52-card deck. In poker, | , aces are either high or low. | A bridge hand |
| 34) In bridge, 6 of one | e suit, 4 of another, and 3 of ar | nother | | 34) |
| A) 0.0022 | B) 0.00055 | C) 0.0060 | D) 0.0133 | |
| Find the probability. | | | | |
| - | lomly selected, find the proba at all days of the year are equa | - | | 35) |
| A) $\frac{31}{365}$ | B) <u>1</u> 12 | C) $\frac{1}{365}$ | D) $\frac{1}{31}$ | |
| Find the indicated probabil | ity. | | | |
| 36) The following tab | le contains data from a study | of two airlines which fly | y to Small Town, USA. | 36) |
| | | er of flights h were late | | |
| Podunk Airlines | 33 | 6 | | |
| Upstate Airlines | 43 | 5 | | |
| | ghts is randomly selected, find en that it was late. | d the probability that th | e flight selected is an Upstate | |
| A) $\frac{5}{87}$ | | B) <u>-5</u> -48 | | |
| | | 48 | | |
| C) <u>5</u> 11 | | D) None of the a | bove is correct. | |

| Find the probability. | | | | |
|--|--|-------------------------------|--|-----|
| , | that when a 10 question n will select at least 6 correct | | | 37) |
| A) 0.995 | B) 0.989 | C) 0.020 | D) 0.118 | |
| Anne is standing on the corne lands heads up and 1 block sc | - | | - | |
| 38) at least 10 blocks fro | m her corner | | | 38) |
| A) 0.0059 | B) 0.0032 | C) 0.0063 | D) 0.0029 | |
| Solve the problem. | | | | |
| that the correspondi | sh to distribute the four-d ng random numbers can k rs 0000 to 2465 correspond | be used to simulate the po | lluting spills in the Great | 39) |
| A) <u>2466</u> 10000 | B) $\frac{2465}{10000}$ | C) $\frac{2465}{1000}$ | D) <u>2466</u> 1000 | |
| Decide whether or not the eve | ents are mutually exclusiv | е. | | |
| 40) Having good readin | g skills and having good r | nath skills | | 40) |
| A) Yes | | B) No | | |
| Solve the problem. | | | | |
| while only partially | full (66 guests) with a ligh heavy snow fall is .40? As | t snow fall. What is the ex | eavy snow fall in December, spected number of guests if and light snowfall are the | 41) |
| A) 117.6 | B) 117 | C) 143.4 | D) 78 | |
| 42) From a group of 3 m number of men in th | - | ation of 2 is selected at ran | dom. What is the expected | 42) |
| A) 1 | B) 0.48 | C) 0.57 | D) 0.86 | |
| Find the probability. | | | | |
| , . | st has 30 questions. Each c guesses on every question | | | 43) |
| A) 0.0064 | B) 0.0052 | C) 0.0806 | D) 0.4000 | |
| 44) A bag contains 6 rec randomly selected n | l marbles, 3 blue marbles, narble is not blue? | and 1 green marble. What | is the probability that a | 44) |
| A) $\frac{10}{7}$ | B) $\frac{7}{10}$ | C) $\frac{3}{10}$ | D) 7 | |
| | | | | |

| | - | you bet \$1.00 on any thi \$600.00. Find the expec | ee-digit number from 000 ted net winnings. |) to 999. If your | 45) |
|---|--|--|--|---|------------|
| A) -\$(|).42 | B) -\$1.00 | C) -\$0.50 | D) -\$0.40 | |
| | | | profit of \$34,000 with a pro vith a probability of .3. Wi | - | 46) |
| A) \$23 | 3,800 | B) \$20,800 | C) \$30,800 | D) \$24,000 | |
| B and ta successi | ils as G. Use this s on. | | y tossing a quarter 40 time e probability of two girls b BGGBGGBG} | | 47) |
| A) $\frac{10}{39}$ | | B) <u>11</u> 40 | C) <u>11</u> <u>39</u> | D) $\frac{10}{40}$ | |
| Family 5 2 3 4 5 6 7+ | <u>Size Probability</u> 0.405 0.239 0.203 0.097 0.040 0.016 | | | | 48) |
| 5 | | | | e of the family is less | |
| than 5. F | ound approximat | ions to three decimal pla B) 0.539 | | e of the family is less D) 0.847 | |
| than 5. F A) 0.0 | ound approximat 97 | ions to three decimal pla | aces. | | |
| than 5. F A) 0.0 Solve the problem 49) A numb | ound approximat 97 | ions to three decimal pla B) 0.539 | aces. | D) 0.847 | 49) |
| than 5. F A) 0.0 Solve the problem 49) A numb | ound approximat 97 er cube labeled wi owing a 4? | ions to three decimal pla B) 0.539 | aces. C) 0.442 | D) 0.847 | 49) |
| than 5. F A) 0.0 Solve the problem 49) A numb cube sho | ound approximat 97 er cube labeled wi wing a 4? | ions to three decimal pla B) 0.539 th numbers 1, 2, 3, 4, 5, a | C) 0.442 | D) 0.847 he odds against the | 49) |
| than 5. F A) 0.0 Solve the problem 49) A numb cube sho A) 5:1 Find the probabili 50) A compa | ound approximat 97 er cube labeled wi owing a 4? ty. any manufactures | ions to three decimal pla B) 0.539 th numbers 1, 2, 3, 4, 5, a B) 6:1 | C) 0.442 nnd 6 is tossed. What are t C) 5:6 64 and there is a 4% rate (| D) 0.847 he odds against the D) 1:5 | 49) 50) |

Find the conditional probability.

51) If three cards are drawn at random without replacement from a standard deck, find the probability 51) _____ that the third card is a face card, given that the first card was a queen and the second card was a 5.

A)
$$\frac{6}{25}$$
 B) $\frac{11}{50}$ C) $\frac{3}{13}$ D) $\frac{1}{5}$

Find the indicated probability.

52) The table below shows the soft drinks preferences of people in three age groups.

| | cola | root beer | lemon-lime |
|--|------|-----------|------------|
| under 21 years of age | 40 | 25 | 20 |
| under 21 years of age between 21 and 40 | 35 | 20 | 30 |
| over 40 years of age | 20 | 30 | 35 |

If one of the 255 subjects is randomly selected, find the probability that the person drinks root beer given that they are over 40.

| A) $\frac{2}{17}$ | B) $\frac{6}{17}$ |
|-------------------|----------------------------------|
| C) $\frac{2}{5}$ | D) None of the above is correct. |

Find the probability.

| 53) A spinner has regions numbered 1 through 18. What is the probability that the spinner will stop on | 53) | |
|--|-----|--|
| an even number or a multiple of 3? | | |
| 0 1 | | |

| A) 15 | B) $\frac{2}{3}$ | C) $\frac{1}{3}$ | D) 1 |
|-------|------------------|------------------|------|
|-------|------------------|------------------|------|

Solve the problem.

| 54) | | | | 54) |
|---|--|----------------------------|--------------------------------|-----|
| C C A B B D A A |) | | | |
| What are the od | ds against spinning a D on this | s spinner? | | |
| A) 6:1 | B) 8:1 | C) 7:1 | D) 1:7 | |
| 55) If 5 apples in a b random sample | | | | 55) |
| A) 1 | B) $\frac{3}{5}$ | C) $\frac{2}{5}$ | D) $\frac{4}{5}$ | |
| • | labeled with numbers 1, 2, 3, 4 number less than 3? | , 5, and 6 is tossed. What | t are the odds in favor of the | 56) |

A) 1:1 C) 1:3 D) 1:2 B) 2:1

52)

Find the probability. 57) What is the probability that 13 rolls of a fair die will show three sixes? 57) _____ A) 0.0428 B) 0.1069 C) 0.4276 D) 0.2138 Decide whether or not the events are mutually exclusive. 58) Being a teenager and being a United States Senator 58) A) No B) Yes Solve the problem. 59) Mendel found no dominance in snapdragons with respect to red and white flower color. When 59) pure red (RR) and pure white (rr) parents are crossed, the resulting Rr combination (one of each gene) produces second generation offspring with pink flowers. Suppose one of these second generation pinks is crossed with a pure white. What is the probability that the resulting snapdragon will have white flowers? A) 0 B) 0.75 C) 0.25 D) 0.5 Find the probability. 60) A family has five children. The probability of having a girl is 1/2. What is the probability of having 60) no girls? A) $\frac{1}{32}$ B) $\frac{1}{8}$ C) $\frac{1}{64}$ D) $\frac{1}{16}$ 61) What is the probability that 18 tosses of a fair coin will show 5 tails? 61) A) 0.0327 C) 0.0164 B) 0.0065 D) 0.0654 Find the indicated probability.

| Number of |
|-----------|
| Customers |
| 11 |
| 9 |
| 14 |
| 4 |
| 4 |
| 1 |
| 2 |
| |

If one of these customers is selected at random, what is the probability that their waiting time is at least 12 minutes or between 8 and 15 minutes?

| A) 0.783 | B) 0.644 | C) 0.089 | D) 0.556 |
|----------|----------|----------|----------|
| | | | |

Use the general multiplication rule to find the indicated probability.

| Obe the general maniprication | | ica probability. | | | | |
|--|--|------------------------------|-----------------------------|-----|--|--|
| 63) A sample of 4 different calculators is randomly selected from a group containing 45 that are defective and 25 that have no defects. What is the probability that all four of the calculators selected are defective? | | | | | | |
| A) 0.1708 | B) 0.0953 | C) 0.1625 | D) 11.7783 | | | |
| Find the probability. | | | | | | |
| - | adults have health insur wn all have health insur | ance. What is the probabilit | y that 6 adults selected at | 64) | | |
| A) 0.68 | B) 0.088 | C) 4.08 | D) 0.099 | | | |
| Give the probability that the | spinner shown would la | and on the indicated color. | | | | |
| 65) grey | | | | 65) | | |
| R | | | | | | |
| A) 3 | B) <u>1</u> | C) $\frac{1}{3}$ | D) $\frac{3}{4}$ | | | |
| | | | | | | |

Find the expected value of the random variable.

| | | 1 | | | | | | |
|----------------|----------------|----|---------------|----|---------------|------|----------|--------|
| P(X = x) | $\frac{7}{24}$ | 13 | $\frac{3}{1}$ | 7 | $\frac{1}{1}$ | 1 | | |
| | 24 | 48 | 16 | 48 | 16 | 24 | | |
| A) 1.54 | 2 | | | | B) 1 | .438 | C) 1.833 | D) 2.5 |

Use counting rules to determine the probability.

| 67) An elevator has 4 passengers and 8 floors. Find the probability that no 2 passengers get off on the same floor considering that it is equally likely that a person will get off at any floor. | | | | | |
|---|----------|----------|----------|--|--|
| A) 0.910 | B) 0.500 | C) 0.410 | D) 0.610 | | |

Find the indicated probability.

| 68) A fair die is rolled. | Find the probability that | the number obtained is not | greater than 4. | 68) |
|---------------------------|---------------------------|----------------------------|-----------------|-----|
| A) $\frac{1}{2}$ | B) $\frac{2}{3}$ | C) $\frac{1}{3}$ | D) <u>5</u> | |

Solve the problem. 69) In a poll, respondents were asked whether they had ever been in a car accident. 145 respondents 69) indicated that they had been in a car accident and 212 respondents said that they had not been in a car accident. If one of these respondents is randomly selected, what is the probability of getting someone who has been in a car accident? B) 0.406 C) 0.594 A) 0.007 D) 0.684 Find the probability. 70) If a fair coin is tossed three times, find the probability of getting heads on the first toss and tails on 70) the second and third tosses. A) $\frac{1}{6}$ B) $\frac{1}{8}$ C) $\frac{3}{8}$ D) $\frac{1}{4}$ Find the indicated probability. 71) The age distribution of students at a community college is given below. 71) _____ Number of students (f) Age (years) Under 21 401 21-25 400 26-30 213 31-35 55 Over 35 24 1093 A student from the community college is selected at random. Find the probability that the student is between 26 and 35 inclusive. Round approximations to three decimal places. A) 0.050 B) 0.195 C) 268 D) 0.245 Find the probability. 72) The participants in a television guiz show are picked from a large pool of applicants with 72) approximately equal numbers of men and women. Among the last 12 participants there have been only 2 women. If participants are picked randomly, what is the probability of getting 2 or fewer women when 12 people are picked? A) 0.0161 B) 0.0193 C) 0.0190 D) 0.0032 Find the indicated probability. 73) A card is drawn at random from a standard 52-card deck. Find the probability that the card is an 73) ace or not a club. A) $\frac{10}{13}$ B) $\frac{43}{52}$ C) $\frac{35}{52}$ D) $\frac{9}{12}$ Use counting rules to determine the probability. 74) A committee of 9 members is voting on a proposal. Each member casts a yea or nay vote. On a 74) random voting basis, what is the probability that the proposal wins by a vote of 7 to 2? B) $\frac{9}{256}$ C) $\frac{9}{128}$ D) $\frac{7}{256}$ A) $\frac{9}{64}$

Find the indicated probability.

| | 75) A bag contains 5 red marbles, 4 blue marbles, and 1 green marble. If a marble is selected at random, what is the probability that it is not blue? | | | | |
|---|---|-----------------------|------------------|-------------------|-----|
| | A) $\frac{3}{5}$ | B) 6 | C) $\frac{2}{5}$ | D) $\frac{5}{3}$ | |
| Find | I the probability. | | | | |
| | 76) A family has five children. The probability of having a girl is 1/2. What is the probability of having at least 3 boys? | | | | |
| | A) 0.4688 | B) 0.3125 | C) 0.1563 | D) 0.5000 | |
| Finc | I the conditional probabil | ity. | | | |
| | 77) If two cards are drawn at random without replacement from a standard deck, find the probability that the second card is a spade, given that the first card was a spade. | | | | |
| | A) <u>11</u> 51 | B) 4 17 | C) $\frac{1}{4}$ | D) $\frac{3}{13}$ | |
| Dete | ermine whether the events | are independent. | | | |
| | 78) A bag contains 7 red and 11 green marbles. Two marbles are drawn without replacement. Are the events "first marble is red" and "second marble is green" independent events? | | | | |
| | A) Yes | | B) No | | |
| Solv | re the problem. | | | | |
| | 79) A certain game involves tossing 3 fair coins. It pays 22 cents for 3 heads, 15 cents for 2 heads, and 7 cents for 1 head. What is a fair price to pay to play this game? | | | | |
| | A) 11 cents | B) 9 cents | C) 8 cents | D) 15 cents | |
| Dete | ermine whether the events | are independent. | | | |
| 80) A card is selected at random from a standard deck of 52 cards. It is then replaced and a second card is selected at random. Are the events "club on the first draw" and "ace on the second draw" independent? | | | | | 80) |
| | | | | | |

A) No

B) Yes

Solve the problem. 81) 81) A commercial building contractor is trying to decide which of two projects to commit her company to. Project A will yield a profit of \$50,000 with a probability of 0.6, a profit of \$82,000 with a probability of 0.3, and a profit of \$10,000 with a probability of 0.1. Project B will yield a profit of \$100,000 with a probability of 0.1, a profit of \$68,000 with a probability of 0.7, and a loss of \$20,000 with a probability of 0.2. Find the expected profit for each project. Based on expected values, which project should the contractor choose? A) Project A:\$55,600 B) Project A: \$47,333 Project B: \$49,333 Project B: \$53,600 Contractor should choose project A Contractor should choose project A C) Project A: \$55,600 D) Project A: \$46,600 Project B: \$61,600 Project B: \$53,600 Contractor should choose project B Contractor should choose project B Find the probability. 82) In a certain college, 33% of the physics majors belong to ethnic minorities. Find the probability that, 82) from a random sample of 10 physics majors, no more than 6 belong to an ethnic minority. B) 0.913 C) 0.0547 D) 0.9846 A) 0.9815 Solve the problem. 83) Four married couples have reserved eight seats in a row at the theater, starting at an aisle seat. If 83) they arrange themselves randomly, what is the probability that all the women will sit in adjacent seats and all the men will sit in adjacent seats? B) $\frac{1}{70}$ C) $\frac{2}{315}$ D) $\frac{1}{840}$ A) $\frac{1}{35}$ 84) 84) Mendel found that flower color in certain pea plants obeyed this scheme: Pure red crossed with pure white produces red. When pure red (RR) and pure white (rr) parents are crossed, the resulting Rr combination (one of each gene) produces second generation offspring with red flowers, since red is dominant. Suppose that two of these second generation Rr flowers are crossed. What is the probability that the resulting plant will have red flowers? A) 0.5 B) 1 C) 0.75 D) 0.25 Find the indicated probability. 85) Two fair dice are rolled. Find the probability that the sum of the two numbers is not greater than 5. 85) B) ⁵/₁₈ C) $\frac{1}{3}$ D) $\frac{13}{18}$ A) $\frac{1}{6}$ Solve the problem. 86) 30% of the population of a village has a certain disease. If people in the village are selected 86) successively at random, what is the probability that the 3th person selected is the first person with the disease? A) 0.090000 B) 0.147000 C) 0.063000 D) 0.490000

Find the probability.

| 1 ma | ine probability. | | | | | |
|--|--|-------------------------------|---------------------------|--------------------|-----|--|
| | 87) If you are dealt two cards successively (with replacement of the first) from a standard 52-card deck, find the probability of getting a heart on the first card and a diamond on the second. | | | | | |
| | A) $\frac{1}{16}$ | B) $\frac{13}{204}$ | C) $\frac{1}{169}$ | D) $\frac{1}{204}$ | | |
| | 16 | 204 | 7 169 | 204 | | |
| | 88) A family has five children. The probability of having a girl is 1/2. What is the probability of having exactly 2 girls and 3 boys? | | | | | |
| | A) $\frac{5}{16}$ | B) $\frac{3}{32}$ | C) $\frac{3}{8}$ | D) $\frac{5}{32}$ | | |
| | 10 | 52 | U | 52 | | |
| Find | the indicated probability. | | | | | |
| 89) The probability that Luis will pass his statistics test is 0.55. Find the probability that he will fail his statistics test. | | | | | 89) | |
| | A) 1.82 | B) 0.28 | C) 0.45 | D) 1.22 | | |
| | | | | | | |
| Use t | ne general multiplication rule | to find the indicated prol | pability. | | | |
| | 90) You are dealt two cards successively (without replacement) from a shuffled deck of 52 playing cards. Find the probability that both cards are black. | | | | | |
| | A) $\frac{25}{51}$ | B) <u>25</u> 102 | C) $\frac{1}{2652}$ | D) $\frac{13}{51}$ | | |
| | 51 | 102 | 2032 | 51 | | |
| Find the probability of the following card hands from a 52-card deck. In poker, aces are either high or low. A bridge hand is made up of 13 cards. | | | | | | |
| | 91) In poker, a straight flush | (5 in a row in a single suit) | | | 91) | |
| | A) 0.00000231 | B) 0.0000139 | C) 0.00000923 | D) 0.0000123 | | |
| Find | he probability. | | | | | |
| | 92) A fair die is rolled 6 times | s. What is the probability o | f no more than three twos | ? | 92) | |
| | A) 0.9913 | B) 0.3812 | C) 0.6774 | D) 0.9649 | | |
| | | | | | | |
| Find | the indicated probability. | | | | | |
| 93) If a person is randomly selected, find the probability that his or her birthday is not in May. Ignore leap years. | | | | | 93) | |
| | A) $\frac{31}{365}$ | B) <u>334</u> 365 | C) $\frac{31}{334}$ | D) <u>11</u> | | |
| | ´ 365 | ´ 365 | 334 | Ý 12 | | |
| Solve | the problem. | | | | | |
| 94) If 3 balls are drawn at random from a bag containing 3 red and 4 blue balls, what is the expected number of red balls in the sample? | | | | | 94) | |
| | A) 0.89 | B) 1.39 | C) 1.54 | D) 1.29 | | |
| | , | , | , | , | | |

| 95) | | | | 95) | | |
|--|---|-------------|------------------|-----|--|--|
| | 12345 What are the odds against drawing a number greater than 2 from these cards? | | | | | |
| A) 5:2 | B) 2:5 | C) 3:2 | D) 2:3 | | | |
| | , | -, - | , | | | |
| 96) Henry is a quality control inspector. He is watching the production line for Barb's Raisin Cookie. Henry will reject a cookie with less than 8 raisins. In the past, one out of every 100 cookies had less than 8 raisins. Find the probability that the first cookie Henry rejects is the 5th cookie on the line. | | | | | | |
| A) 0.009606 | B) 0.048030 | C) 0.076848 | D) 0.009510 | | | |
| Find the indicated probab | ility. | | | | | |
| 97) A sample of 4 different calculators is randomly selected from a group containing 14 that are defective and 34 that have no defects. What is the probability that at least one of the 4 calculators in the sample is defective? | | | | | | |
| A) 0.238 | B) 0.762 | C) 0.748 | D) 0.140 | | | |
| Decide whether or not the events are mutually exclusive. | | | | | | |
| 98) Being over 30 and being in college | | | | | | |
| A) No | | B) Yes | | | | |
| Find the conditional prob | ability. | | | | | |
| 99) Suppose one card is selected at random from an ordinary deck of 52 playing cards. Let | | | | | | |
| A = event a diamond is selected B = event a club is selected. | | | | | | |
| Determine P (A | (not B)). | | | | | |
| A) 1 | B) $\frac{1}{3}$ | C) 0 | D) $\frac{1}{4}$ | | | |
| Find the expected value of the random variable. | | | | | | |
| 100) The random variable X is the number of offspring per year for a certain animal species. Find the expected number of offspring per year. | | | | | | |
| X (Number of C Probabili | Offspring) 0 1 2 3 ty (X = x) 0.31 0.21 0.19 0.17 0.1 | 4 12 | | | | |

C) 1.75

D) 2

A) 1.58

B) 1.38